

Bandwidth enhancement of inverting amplifier using composite CFOA block

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Abstract: In this paper, an active compensation method using two current feedback operational amplifiers (CFOAs) to enhance the bandwidth of finite gain inverting voltage amplifier for use as stand-alone amplifier is presented. It is also shown that the inexpensive passive compensation technique can be applied to composite CFOA based amplifier to improve the phase response in addition to bandwidth enhancement. The proposed circuits require one additional CFOA/ capacitor. The effect of finite output impedance at z terminal, input resistance at x terminal and current mirror pole of the CFOA is considered in the analysis. The proposed circuits have been simulated in PSPICE using a behavioral macro-model of the CFOA as well as that of a practical CFOA AD 844.

Keywords: Passive compensation; Current-feedback op-amp (CFOA); Active compensation

INTRODUCTION

The current feedback operational amplifier (CFOA) based response is not a consideration. This observation has led to finite gain voltage amplifiers have a wider bandwidth than several active/ passive compensation techniques for finite that of voltage feedback operational amplifiers and are gain amplifiers using opamps e.g. [14]. Hence, a passive preferred in analog signal processing applications [1]-[9]. compensation scheme using feed-forward capacitor to CFOAs have also been used extensively to realize reduce the phase error in addition to bandwidth integrators [10] and biquads and oscillators.

The theoretical analysis of CFOA based amplifiers using first-order models is widely addressed in the literature [3], [5]-[7]. These simplified models are not accurate. Mahattanakul and Toumazou [10] have considered the effect of current mirror pole and the output resistances of the voltage buffers at x and w terminals of the CFOA in addition to parasitic output resistance and capacitance at znode on the performance of inverting finite gain amplifiers using CFOA. Recently, Bayard [11] has proposed a passive compensation scheme using capacitors for extending the bandwidth of CFOA based inverting voltage amplifiers. Bayard [11] has used a two-pole model accounting the current mirror pole in addition to dominant pole due to output resistance and capacitance of the CFOA at z output to describe the transfer function at high frequencies. Note that other models have been proposed in literature [12], [13] but they omit the current mirror pole and consider parasitic capacitances at the input x and yterminals.

The compensation of the non-ideal frequency response of The two-pole behavioral macro-model of the CFOA taking one opamp using another opamp [14], [15] in amplifiers into account the current mirror pole and integrators has also been extensively investigated. In resistance R_x at the x input of the CFOA, the parasitics R_o this paper, we explore active compensation technique and C_o at the z terminal of the CFOA is shown in Fig. 1 based on composite CFOA structure for possible (b). Here, I_{xx} is modeled using a current mirror pole: bandwidth enhancement of inverting amplifier.

The finite gain amplifiers can be used as stand-alone amplifiers or can be used within second-order active RC filters such as Tow-Thomas biquad. In the former case, the phase response is not a consideration. On the other hand, in active networks and active RC filters, the phase shift in the loop is important and phase error of the amplifier needs to be small [14]. In such applications, amplitude

enhancement has been considered in this paper.

In Section II we analyze the uncompensated CFOA based inverting amplifier. The proposed compensation method using composite CFOA block without and with feedforward capacitor has been discussed in Section III. SPICE simulation results using two-pole behavioral and practical (i.e., AD 844 CFOA [16]) macro-model of CFOA are presented in Section IV. A concluding section summarizes the results.

II. UNCOMPENSATED CFOA BASED **INVERTING AMPLIFIER**

The circuit symbol of CFOA is shown in Fig. 1(a). Note that x terminal is a current input terminal and y terminal is a voltage input terminal. The ideal properties of CFOA can be expressed in the equation form as:

$$\begin{bmatrix} I_{y} \\ V_{x} \\ I_{z} \\ V_{w} \end{bmatrix} = \begin{bmatrix} 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 \end{bmatrix} \begin{bmatrix} I_{x} \\ V_{y} \\ V_{z} \\ V_{w} \end{bmatrix}$$
(1)

 τ_{cm} , the series

$$I_{xx}(s) = I_x / (1 + s\tau_{cm})$$
(2)

$$V_y \xrightarrow{I_y} V_z \xrightarrow{V_z} V_w$$
(2)

$$V_x \xrightarrow{I_x} V_z \xrightarrow{V_z} V_w$$
(3)

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Fig. 1 (a) Circuit symbol of CFOA and (b) the non-ideal two-pole CFOA macro model

The voltage gain of the uncompensated CFOA based inverting amplifier circuit in Fig. 2, is shown to be a second-order low-pass type frequency response given as

$$\frac{V_0}{V_1} = -\frac{G}{1 + K(1 + s\tau_{cm1})(1 + s\tau_{o1})}$$
(3a)

where

 $K = R_2'/R_o$; $R_2' = R_2 + R_x(1+G)$; $G = R_2/R_1$; $\tau_o =$ $R_o C_o, \tau_{cm} = R_{xx} C_{xx}$ 3(b)



Fig. 2 Uncompensated CFOA-based inverting amplifier

Considering the general expression for the denominator of the second-order transfer function of the type $1 + K(1 + s\tau_{cm1})(1 + s\tau_{o1})$, it can be seen that the pole frequency and pole-Q are given by

and

$$Q_o = \sqrt{(1 + K^{-1})\tau_{cm}\tau_o} / (\tau_{cm} + \tau_o)$$
(4)

 $\omega_{0} = \sqrt{(1 + K^{-1})/\tau_{cm}\tau_{0}}$

For realizing a Butterworth type response, it can be seen from (4)that

$$1 + K^{-1} = \tau_o / 2\tau_{cm} \tag{5}$$

 $1 \ll (R_{o1}/R_2)$ and $\tau_{cm} \ll \tau_o$ in (4), the Noting simplified expressions for pole frequency and pole-Q are \overline{v} shown to be

$$\omega_o = 1/\sqrt{\tau_{cm} R_2' C_o}, \ Q_o = \sqrt{\tau_{cm} / (R_2' C_o)}$$
 (6a)

The condition for realizing Butterworth type of response (i.e., $Q = 1/\sqrt{2}$) is shown to be

$$R_2' = 2\tau_{cm}/C_o \tag{6b}$$

The pole frequency in this case will be $\omega_0 = 1/(\tau_{cm}\sqrt{2})$. For typical values of $\tau_{cm} = 2.2736$ ns, R_0 Noting = 3 MΩ, $C_o = 5.5$ pF, (e.g. for CFOA AD 844 [16]) $R'_2 = 1$, $(2m + mp) \ll (n - p)$, $\tau_{cm} \ll \tau_o$, the condition given 826.76 Ω and the pole frequency is 49.498 MHz.

III. COMPENSATION USING COMPOSITE CFOA

In the compensated composite CFOA based inverting The proposed composite CFOA based inverting amplifier amplifier circuit considered in Fig. 3, a composite CFOA circuit without and with feed-forward capacitor have been



Fig. 3 Compensated inverting amplifier using a composite **CFOA**

The transfer function of this circuit without considering C_1 , is given as

$$\frac{V_o}{V_i} = -\frac{G\{1 + \{R_x(1 + s(\tau_{cm} + \tau_o) + s^2\tau_{cm}\tau_o)/R_o\}\}}{\begin{cases}1 + n + m + s(\tau_{cm} + \tau_o)(n + 2m)\\+s^2(\tau_{cm}\tau_o(n + 2m) + (\tau_{cm} + \tau_o)^2m)\\+s^22m\tau_{cm}\tau_o(\tau_{cm} + \tau_o) + s^4m\tau_{cm}^2\tau_o^2\end{cases}}$$
(7)
where

$$m = \{R_x(2R_2 + (G+1)R_x)\}/R_o^2 \text{ and } n = (R_2 + R_x)/R_o \text{ and } p = R_x/R_o$$

Note that m, n and p are quite small compared to unity. Neglecting third and fourth order terms in (7)

$$\frac{V_{o}}{V_{i}} = -\frac{G\left\{1 + \frac{R_{X}}{R_{o}} (1 + s(\tau_{cm} + \tau_{o}) + s^{2}\tau_{cm} \tau_{o})\right\}}{\left\{1 + n + m + s(\tau_{cm} + \tau_{o})(n + 2m) + s^{2}(\tau_{cm} \tau_{o}(n + 2m) + (\tau_{cm} + \tau_{o})^{2}m)\right\}}$$
(8)

From (8), the pole frequency of compensated amplifier in Fig. 3 without C_1 is shown to be

$$\omega_o \simeq 1/\sqrt{\tau_{cm}\tau_o(n+2m)+\tau_o^2m} \tag{9}$$

From (9), we see that the pole frequency is larger than that of uncompensated amplifier. From (8), it can be seen that exact condition for minimum phase error cannot be satisfied.

Considering the use of a feed-forward capacitor C_1 across R_1 in the circuit of Fig. 3, the transfer function can be obtained as

$$\frac{1}{e_{i}} = -\frac{G\left(1 + \frac{R_{x}}{R_{o}}(1 + s(\tau_{cm} + \tau_{o}) + s^{2}\tau_{cm}\tau_{o})\right)(1 + sC_{1}R_{1})}{\left(\begin{array}{c}1 + n + m + s\left((\tau_{cm} + \tau_{o})(n + 2m) + C_{1}R_{2}p^{2}\right)\\ + s^{2}\left(\tau_{cm}\tau_{o}(n + 2m) + (\tau_{cm} + \tau_{o})^{2}m\right)\\ + s^{2}\left(\tau_{cm}\tau_{o}(n + 2m) + (\tau_{cm} + \tau_{o})\right)\\ + s^{3}\left(-\frac{2m\tau_{cm}\tau_{o}(\tau_{cm} + \tau_{o})}{(+C_{1}R_{2}p^{2}(\tau_{cm} + \tau_{o} + \tau_{o})^{2})}\right)\\ + s^{4}\left(m\tau_{cm}^{2}\tau_{o}^{2} + 2C_{1}R_{2}p^{2}\tau_{cm}\tau_{o}(\tau_{cm} + \tau_{o})\right)\\ + s^{5}\left(C_{1}R_{2}p^{2}\tau_{cm}^{2}\tau_{o}^{2}\right) \right)$$
(10)

The condition for phase compensation can be obtained as

$$C_1 R_1 = \frac{(\tau_{cm} + \tau_o)(n - p + 2m + mp)}{(1 + p)((1 + n + m) - Gp^2)}$$
(11)

 $(1+p)\big((1+n+m)-Gp^2\big)\cong$ that in (11)can be shown to be

$$C_1 R_1 = R_2 C_0 \tag{12}$$

IV. SIMULATION RESULTS

simulated in PSPICE using two-pole behavioural CFOA



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macro model (Fig. 1(b)) and AD 844 SPICE macro model [16]. The typical parameters of AD 844 considered in the behavioural macro model and simulation are $\tau_{cm} = 2.2736$ nsec, $R_o = 3 \text{ M}\Omega$, $C_o = 5.5 \text{ pF}$, $R_x = 50 \Omega$, $R_w = 15 \Omega$.

The amplitude responses of the compensated amplifier of Fig. 3 with $C_1 = 0$ using behavioural macro-model, are presented for gain G = 1 ($R_2 = R_1 = 727 \Omega$) and G = 2 ($R_2 = 727 \Omega$, $R_1 = 363.5 \Omega$) in Fig. 4 together with those of the uncompensated amplifier, which shows that the bandwidth is increased.



 \Box , Δ Uncompensated CFOA based amplifier +, × Composite CFOA based amplifier without C_1

Fig. 4 Amplitude response of the composite CFOA based inverting amplifier of gain G = 1, 2 of Fig. 3without C_1 using two-pole behavioural macro-model

The amplitude and phase responses of the circuit of Fig. 3 using $C_1 = 5.5$ pF, 11 pF using behavioural macromodel are presented for gain G = 1 ($R_2 = R_1 = 727 \Omega$) and G = 2 ($R_2 = 727 \Omega$, $R_1 = 363.5 \Omega$) respectively in Fig. 5(a) and 5(b), which show that there is bandwidth enhancement as well as improvement in the phase response. The amplitude and phase response plots for the above case using AD 844 SPICE macro model [16] are presented in Fig. 6(a)-(b).



 \Box , Δ Uncompensated CFOA based amplifier +, × Composite CFOA based amplifier with C_1

Fig. 5 (a) Amplitude responses and (b) phase responses of the composite CFOA based inverting amplifier of gain G = 1, 2 of Fig. 3with C_1 using two-pole behavioural macromodel



 \Box , Δ Uncompensated CFOA based amplifier +, × Composite CFOA based amplifier with C_1

Fig. 6 (a) Amplitude responses and (b) phase responses of the composite CFOA based inverting amplifier of gain G = 1, 2 of Fig. 3with C_1 using AD844 macro-model

V. CONCLUSION

In this paper, we have investigated the compensation techniques for improving the amplitude and phase response of CFOA based amplifiers borrowing wellknown techniques used in the active and passive compensation of opamp based finite gain inverting amplifiers. The active compensation technique using two CFOAs in feed-forward mode following the two-opamp based finite gain amplifiers has been studied. Further, the passive compensation technique using feed-forward capacitor for this configuration to reduce the phase error has also been investigated.

The proposed circuits have been shown to improve the amplitude and phase response over conventional CFOA based amplifiers. The proposed circuits have been CFOA simulated using behavioral macro-model containing current mirror pole, finite series resistance at x input terminal and finite output resistance and capacitance of the current output terminal of the CFOA. The simulation results have been shown to agree with those obtained using macro-model of AD 844 CFOA. Application of the proposed compensation techniques to non-inverting amplifiers and integrators and biquads will be the subject of future work.



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BIOGRAPHY



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